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EJS\_P1P0\_N1P1

Nbre (10-500):  30

- Exponential formula ▲
- Hyperbolic formula
- Trigonometric formula ▼

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[Mode Admin: Universal Atlas of Geometric Constants GCEJS Derived from Linear Recurrences](#)

EJS\_P1P0\_N1P1 has already been provided to the Universal Atlas of Geometric Linear Recurrences.

## Mathematic EJS\_P1P0\_N1P1 sequence

```
LinearRecurrence[{{1, -1}, {1, 0}}, 30]
a(n) = (-1)*a(n-2) + (1)*a(n-1)
Initial Terms: a(0) = 1, a(1) = 0
```

$$EJS\_P1P0\_N1P1(n) = a(n) = \frac{3 \cdot 2^n}{3(1 + \sqrt{3}i)^n + 3\sqrt{3}i(1 + \sqrt{3}i)^n} + \frac{2^n\sqrt{3}i}{3(1 + \sqrt{3}i)^n + 3\sqrt{3}i(1 + \sqrt{3}i)^n} + \frac{3 \cdot 2^n}{3(1 - \sqrt{3}i)^n - 3\sqrt{3}i(1 - \sqrt{3}i)^n} - \frac{2^n\sqrt{3}i}{3(1 - \sqrt{3}i)^n - 3\sqrt{3}i(1 - \sqrt{3}i)^n}$$

1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1

```
a(10) = 0
a(11) = 1
a(12) = 1
a(13) = 0
a(14) = -1
a(15) = -1
a(16) = 0
a(17) = 1
a(18) = 1
a(19) = 0
a(20) = -1
a(21) = -1
a(22) = 0
a(23) = 1
~
~
~
```

Sequence [1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1, 0, -1, -1, 0, 1, 1]:  
[OEIS](#)

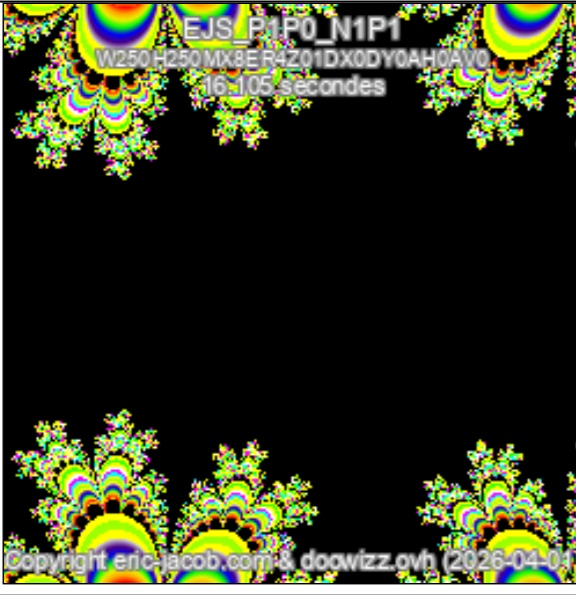
This sequence provides no significant data for the Universal Atlas of Geometric Constants GCEJS Derived from Linear Recurrences.

$$EJS\_P1P0\_N1P1_{GF}(x) = \frac{x-1}{-x^2+x-1}$$

## [Navigation in a quantum univers 2D/3D of variants; more details on Wiki \(EJS Fibovar Theory\)](#)

- Antihora rotation
- Shift in x
- Shift in y
- Zoom:
- Quantum matter
- Matter formation from vacuum
- Resolution level

Show 3D navigation in EJS\_P1P0\_N1P1





Time: 4.1116690635681 sec (Global exec time)